

# All-Optical Linear Binary Code Generator Using Optical Nonlinear Material Based Devices

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**Abstract:** The transmission of information occurs simultaneously over the same available channel bandwidth in Code Division Multiple Access (CDMA) technique. The spread spectrum (SS) technique is employed in CDMA systems for transmission of information by employing spreading codes. A unique spreading code, acts as a signature code, is assigned for each individual user. The signal occupies a bandwidth much larger than the minimum necessary to send the information in SS modulation technique. A synchronized reception with the code at the receiver is applied for despreading the information before data recovery. From a long-term, Walsh-Hadamard codes have been employed as spread spectrum codes in CDMA communications due to their ease of generation than the efficiency of these codes. Walsh-Hadamard codes are absolutely orthogonal linear binary codes which have so many favorite applications in synchronous multicarrier communications though they perform poorly for asynchronous multi-user communications. Now, the optical application of these Walsh-Hadamard codes is important for optical CDMA. In these designs nonlinear optical property is exploited for capable of controlling multi-valued signals. To this purpose, it is proposed with exploiting the polarization properties of light an all-optical design of Walsh-Hadamard codes generator in this paper.

**Keywords:** Optical nonlinear material, Optical switches, Polarization converter, Polarization converter mask, Walsh-Hadamard code.

## I. INTRODUCTION

CDMA technique has been considered as important multiple access schemes in the second-generation (2G), third-generation (3G) and also future broadband wireless systems. CDMA has attractive features, like anti-jam resistance, low probability of interception, resistance to multipath fading, and capability of random access over conventional access techniques such as time division multiple access (TDMA) and frequency division multiple access (FDMA). Orthogonal codes are widely used for uplink and downlink transmissions of cellular DS-SS-CDMA systems and WCDMA/UMTS. Many of the spreading codes are used in wireless communication today, they are fixed power codes and are restricted in their power levels, the availability of the code family sizes. In our traditional cellular networks, binary Walsh-Hadamard codes are employed as CDMA spreading codes. Walsh-Hadamard codes are applied for synchronous communications. Longer distances in our traditional cellular networks demand higher processing gain, thus requiring longer spreading codes in CDMA. Popularity of these codes comes from the ease of their implementation utilizing standard kernels. Optical-Code Division Multiple Access (O-CDMA) is a promising technology for high-performance local area networks with flexible assignment of network

capacity. Code division multiplexing (CDM) gives an alternative to the traditional methods of time-division multiplexing (TDM) and frequency division multiplexing (FDM). CDMA does not need the bandwidth allocation of FDMA, or the time synchronization needed in TDMA. But, users of a common channel are allowed to access simultaneous assignment of mutually (near) orthogonal spreading codes. These methods for generating spreading codes with required auto correlation and cross correlation properties for CDMA have been improved such as Gold, Kasami codes, Walsh-Hadamard codes etc. Walsh codes are practiced broadly in CDMA/multi carrier CDMA (MC-CDMA) because of its orthogonal character and good auto-correlation property [1-6].

In present, this design and application of Walsh-Hadamard codes is not limited to the realm of electronics only but also extended to optics also. All-optical realization of this code emerges to overcome the electronic bottlenecks and to exploit fully the advantages of fiber optic communication without essence of optical-electrical-optical (OEO) conversions. The techniques of computing by using light, i.e. photon which is being the ultimate unit of information with unmatched speed and with data package in a mass zero signals, may provide a way out of the limitations of computational speed and inherent complexity in electronics

systems [7]. Theta modulation, optical shadow casting technique, symbolic substitution and semiconductor amplifier based Interferometric switches etc. are reported in several literatures for application of binary logic operations [8-10].

In recent years for optical logic and information processing, optical multiple valued logic functions takes great attraction of research community due to fact that it needs less physical space than binary data [11]. Liu et al has presented bi-stable laser diode for optical demonstration of multiple valued logic circuits [12]. Eichmann et al has explained binary coded trinary arithmetic and logic operation [13]. Intensity of light signal is indicate the logic states in few cases to realize the Boolean logic operations that want well defined specific intensity of light for every cases. The intensity of signal may be altered due to many reasons and these difficulties can be prevented in polarization based encoding/decoding technique [11].

We present an all-optical technique of Walsh-Hadamard code generation in this paper using terahertz optical asymmetric demultiplexer (TOAD) and optical nonlinear material based optical switches [14-18]. For this optical implementation the set of logic states are chosen as shown below:

0 = vertically polarized light ( $\updownarrow$ ), 1 = horizontally polarized light ( $\bullet$ ); -1 = plane polarized light at  $45^\circ$  ( $\blacktriangle$ ). The proposed paper is arranged as follows: The working principle and tree architecture of TOAD are reported in Section II. Section III describes briefly the optical components (using optical nonlinear material based switches) used with their functions and Section IV presents Walsh code generation using optical nonlinear material based switches. Section V shows mathematical simulation results and finally concluding remarks are made in Section VI.

## II. TOAD and its tree architecture

### A. Working principle of TOAD based optical switch

In recent age of information, TOAD has taken an important role in optical communication and information processing [19-25]. Sokoloff et al. [18] reported a TOAD capable of demultiplexing data at 50 Gb/s. TOAD exploits the strong, slow optical nonlinearities present in semiconductor and it is characterized with control and signal pulses using polarization or wavelength. It needs less than 1 pJ switching energy. The same authors group has also reported that by reducing the SOA length to 100  $\mu\text{m}$  and increasing its dc bias current, its propagation delay can be reduce to 1ps without impacting its performance as a nonlinear element. Then TOAD can perform demultiplexing at Tb/s [22].

The TOAD consists of a loop mirror with an additional intraloop  $2 \times 2$  (ideally 50:50) coupler and this loop contains a control pulse (CP) and a nonlinear element (NLE) that is offset from the loop's midpoint by a distance  $\Delta x$  as shown in Fig. 1.

A signal with field  $E_{in}(t)$  at angular frequency  $\omega$  is split in coupler. It travels in clockwise (cw) and counter clockwise (ccw) direction through the loop. The electrical field at port-1 and port-2 can be expressed as follows.

$$E_{out,1}(t) = E_{in}(t-t_d) \cdot e^{-j\omega t_d} \cdot \left[ d^2 \cdot \underline{g}_{cw}(t-t_d) - k^2 \cdot \underline{g}_{ccw}(t-t_d) \right] \quad (1)$$

$$E_{out,2}(t) = jdk E_{in}(t-t_d) \cdot e^{-j\omega t_d} \cdot \left[ \underline{g}_{cw}(t-t_d) + \underline{g}_{ccw}(t-t_d) \right] \quad (2)$$

Where  $t_d$  is pulse round trip time within the loop as shown in the fig 1. Coupling ratios  $k$  and  $d$  indicate the cross and through coupling, respectively. The cw signal is amplified by the complex field gain,  $\underline{g}_{cw}(t)$ . And ccw is also amplified by  $\underline{g}_{ccw}(t)$ .

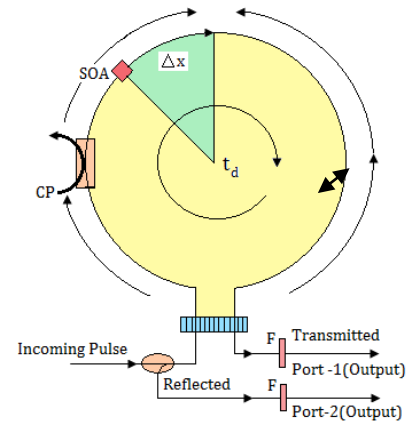


Fig. 1: TOAD-based optical switch

The output power at port-1 can be expressed as,

$$P_{out,1}(t) = \frac{P_{in}(t-t_d)}{4} \cdot \left\{ G_{cw}(t) + G_{ccw}(t) - 2\sqrt{G_{cw}(t) \cdot G_{ccw}(t)} \cdot \cos(\Delta\phi) \right\} \\ = \frac{P_{in}(t-t_d)}{4} \cdot SW(t) \quad (3)$$

Where, This  $SW(t)$  is the transfer function. The phase difference between cw and ccw pulse is defined by  $\Delta\phi = (\phi_{cw} - \phi_{ccw})$ . The symbols  $G_{cw}(t), G_{ccw}(t)$  indicate the respective power gains. Power gain is related with the field gain as  $G = g^2$  and  $\Delta\phi = -\frac{\alpha}{2} \cdot \ln\left(\frac{G_{cw}}{G_{ccw}}\right)$ .

Now we will calculate the power at port-2

$$P_{out,2}(t) = \frac{1}{2} E_{out,2}(t) \cdot E_{out,2}^*(t) \\ = d^2 k^2 \cdot P_{in}(t-t_d) \cdot G_{cw} \cdot \left\{ 1 + \frac{G_{ccw}}{G_{cw}} + 2 \cdot \sqrt{\frac{G_{ccw}}{G_{cw}}} \cdot \cos[\Delta\phi] \right\}$$

$$= d^2 k^2 \cdot P_{in}(t-t_d) \cdot \left\{ G_{cw} + G_{ccw} + 2 \cdot \sqrt{G_{ccw} \cdot G_{cw}} \cdot \cos[\Delta\phi] \right\}$$

(4)

; For ideal 50:50 coupler  $d^2 = k^2 = 1/2$ . When control signal is absent, data signal i.e., incoming signal enters the fiber loop and pass through the SOA at different times as they counter-propagate around the loop. They experience the same unsaturated amplifier gain  $G_0$  and recombine at the input coupler i.e.  $G_{ccw} = G_{cw}$ . This leads to  $\Delta\phi = 0$ . So expression for  $P_{out,1}(t) = 0$ , and  $P_{out,2}(t) = G_0 \cdot P_{in}$ . It shows that data is reflected back toward the source. When a control pulse is injected into the loop, it saturates the SOA and changes its index of refraction. Therefore the two counter-propagated data signals will experience a differential gain saturation profiles i.e.  $G_{ccw} \neq G_{cw}$ . When they recombine at the input coupler, the data will exit from the output port-1. Now the mathematical forms of two output powers can be expressed as,

$$P_{out,1}(t) = \frac{P_{in}(t-t_d)}{4} \cdot SW(t) \quad \text{and} \quad P_{out,2}(t) \approx 0.$$

A polarization or wavelength filter may be used at the output to reject the control and pass the input pulse. The schematic block diagram is shown in Fig. 2 and the truth table of the operation is given in Table-1.

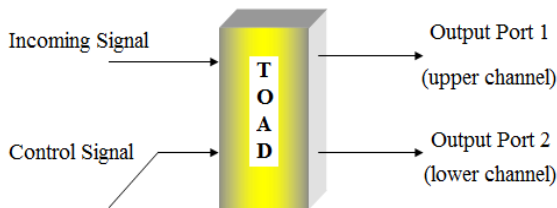


Fig. 2: Schematic diagram of TOAD-based optical switch

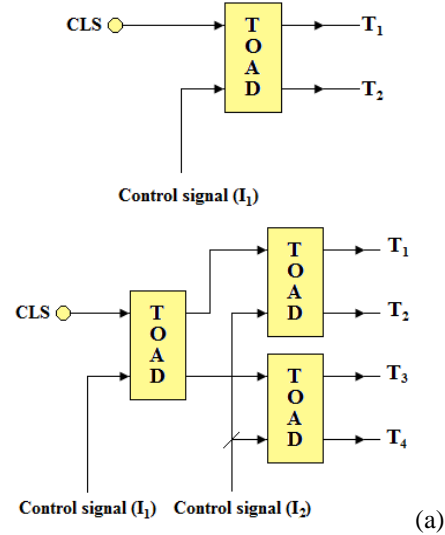
Table-1: Truth table of TOAD based optical switch as shown in Fig. 3

Incoming Signal	Control Signal	Output Port-1
0	0	0
0	1	0
1	0	0
1	1	1

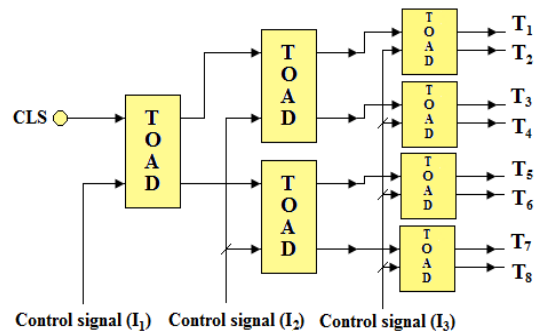
**(B) Tree Architecture of TOADs: System description of demultiplexer**

Tree Architecture or demultiplexer operation requires three TOAD switches, one in first stage and two in the second stage as shown in Fig.3 (b). Final outputs of two TOAD switches in second stage are fed to spectrum analyzers and represent terminals (output ports) T1 through

T4. When A=1 and B=1, according to the switching principle discussed earlier the light reaches T<sub>1</sub> (output port-1). In this case, no light is present at other terminals T<sub>2</sub>, T<sub>3</sub> and T<sub>4</sub> [25]. The positive spectrum is obtained only at T<sub>1</sub>. When A=1 and B=0, light is only present in T<sub>2</sub> (output port-2) thus positive spectrum peak is obtained only at this terminal.



(a)



(c)

Fig. 3 Tree architecture using TOADs

For the case A=0 and B=1, T<sub>3</sub> (output port-3) is in the one state and others are in zero state. When both control signals are 0, the light is obtained at T<sub>4</sub> (output port-4). Architecture or demultiplexer operation of fig 3 (b) satisfies truth table-3. The operation of tree architecture or demultiplexer of fig 3 (c) is similar with fig 3(b) as described above and satisfies truth table-4. Architecture or demultiplexer operation of fig 3 (a) is similar with fig 2 as described in working principle of TOAD above and satisfies truth table-2.

Table-2: Truth table of TOAD based optical tree architecture of fig. 3(a)

Input A or B			Output
I <sub>1</sub>	I <sub>2</sub>	I <sub>3</sub>	
1	1	1	T <sub>1</sub>
1	1	0	T <sub>2</sub>
1	1	1	T <sub>3</sub>
1	1	0	T <sub>4</sub>
1	0	1	T <sub>5</sub>
1	0	0	T <sub>6</sub>
1	0	1	T <sub>7</sub>
1	0	0	T <sub>8</sub>
0	1	1	T <sub>9</sub>
0	1	0	T <sub>10</sub>
0	1	1	T <sub>11</sub>
0	1	0	T <sub>12</sub>
0	0	1	T <sub>13</sub>
0	0	0	T <sub>14</sub>
0	0	1	T <sub>15</sub>
0	0	0	T <sub>16</sub>

Table-3: Truth table of TOAD based optical tree architecture of fig. 3(b)

Input A or B		Output
I <sub>1</sub>	I <sub>2</sub>	
1	1	T <sub>1</sub>
0	0	T <sub>2</sub>

Table-4: Truth table of TOAD based optical tree architecture of fig. 3(c)

Input A or B		Output
I <sub>1</sub>	I <sub>2</sub>	
1	1	T <sub>1</sub>
1	0	T <sub>2</sub>
0	1	T <sub>3</sub>
0	0	T <sub>4</sub>

**III. Functions of Optical Components and Designing of PCM and PC**

The input light is allowed to fall on an input block (IB) after expanding it by Beam Expander (BE). The IB is constructed only for matrix form input without any layers of polarizer isolator mask (PI mask) or polarization converter mask (PCM). The propagation of light signal through IB is as follow that first input light is incident on IB after that it falls on optical nonlinear material (OPNLM) and then emerging

signal beam comes out through OPNLM based matrix block as an output light signal.

**A. PCM (type-1) design and its function**

The PCM (type-1) matrix is also shown in the figure 5 consisting different types of polarization converter, placed in (2x2) matrix form. Jones matrix representation is used for calculation of different types of polarization converter which is needed here. Jones vector which represents three logical states of three types of polarized light can be written as follows.

$E_1$  = Jones vector of linearly polarized light with horizontal orientation ( $\bullet$ ) =  $\begin{bmatrix} 1 \\ 0 \end{bmatrix}$   
 $E_0$  = Jones vector of linearly polarized light with vertical orientation ( $\uparrow$ ) =  $\begin{bmatrix} 0 \\ 1 \end{bmatrix}$   
 $E_{-1}$  = Jones vector of linearly polarized light at 45° ( $\blacktriangledown$ ) =  $\frac{1}{\sqrt{2}} \begin{bmatrix} 1 \\ 1 \end{bmatrix}$

**Polarization converter (PC) of type-1 (PC-1)**

The polarization converter of type-1 is formed by half wave plate ( $\lambda/2$ ) and then Jones matrix for the Half-wave plate is

$$J_H = \begin{bmatrix} \cos(2\rho) & \sin(2\rho) \\ \sin(2\rho) & -\cos(2\rho) \end{bmatrix} \tag{5}$$

Here  $\rho$  is azimuth angle of the optical axis, if  $\rho = \pi/4$ , from the equation (1) we get the Jones matrix  $J_H = \begin{bmatrix} 0 & 1 \\ 1 & 0 \end{bmatrix}$

When  $2\rho = \pi/4$  then from equation (1) we obtain the Jones matrix  $J_H = \frac{1}{\sqrt{2}} \begin{bmatrix} 1 & 1 \\ 1 & -1 \end{bmatrix}$ . Hence,  $J_H \cdot E_1 = \frac{1}{\sqrt{2}} \begin{bmatrix} 1 \\ 1 \end{bmatrix}$  (6)

i.e., optic axis of PC-1 is set  $22(1/2)^\circ$  with (+x)-axis, so that horizontally polarized light ( $\bullet$ ) is converted to plane polarized light at 45° ( $\blacktriangledown$ ). Only a specific type of polarized light passes through PI mask otherwise PI mask blocks other types of polarized light and PCMs convert the type of polarization of input light signals [26].

**B. Mathematical model of OPNLM based switch**

Let the signal beam is propagating along Z-axis and the three incident monochromatic waves are [27]

$$\begin{aligned} E_1(\omega) &= a_1 A_1(r) e^{-i(\omega t - k_1 r)} \tag{7} \\ E_2(\omega) &= a_2 A_2(r) e^{-i(\omega t - k_2 r)} \tag{8} \\ E_3(\omega) &= a_3 A_3(r) e^{-i(\omega t - k_3 r)} \tag{9} \end{aligned}$$

Where,  $a_1, a_2$  and  $a_3$  are the unit vectors along the light polarization direction of the forward beam (or signal beam), backward beam (or signal beam) and the probe beam respectively.  $K_1$  and  $K_2$  are the wave vectors of the two pump waves (or signal beams),  $k_3$  is the absolute value of the wave vector of the probe beam,  $A_1$  and  $A_2$  are the real amplitude functions of the two plane pump waves and  $A_3$  is the complex amplitude function of the signal wave and  $\omega$  is the frequency of the pump beams (or signal beams) and the probe beam. According to the principle of FWM a fourth coherent wave will be generated through the third order nonlinear polarization response of the medium. The generated wave and its corresponding nonlinear electric polarization of fourth coherent wave will be

$$P_4^{(3)}(\omega) = \epsilon_0 \chi_e^{(3)}(\omega, \omega, -\omega) a_1 a_2 a_3 A_1 A_2 A_3^* e^{-i(\omega t + k_3 z)} \tag{10}$$

$$E_4(\omega) = a_4 A_4(z) e^{-i(\omega t + k_3 z)} \tag{11}$$

As it is assumed that the three incident wave are linearly polarized along the same direction (here Z-axis) and the medium is isotropic, so  $E_4$  also will polarized along the same direction. Thus we may neglect the vector property of the fields. So the third order polarization fields for  $E_3$  and  $E_4$  can be written as

$$P_3^{(3)}(\omega) = \epsilon_0 \chi_e^{(3)} A_1 A_2 A_4^* e^{-i(\omega t - k_3 z)} \tag{12}$$

$$P_4^{(3)}(\omega) = \epsilon_0 \chi_e^{(3)} A_1 A_2 A_3^* e^{-i(\omega t + k_3 z)} \tag{13}$$

Here,  $\chi_e^{(3)}$  is the effective third-order nonlinear susceptibility of the medium.

Substituting Eqs.(12) and (13) in the general nonlinear coupled wave equation and assuming that the depletion of both pump waves (or signal beams) within a short interaction length is negligible, the equations for amplitude variation along X-axis for  $E_3$  and  $E_4$  can be written as

$$\frac{\partial A_3^*(z)}{\partial z} = i \gamma^* A_4 \tag{14}$$

$$\frac{\partial A_4(z)}{\partial(z)} = i \gamma A_3^* \tag{15}$$

Where,  $\gamma$  complex coupling co-efficient between the pump beams (or signal beams)

$$= \frac{k_3(\omega)}{2\epsilon_r(\omega)} \chi_e^{(3)} A_1 A_2 = \frac{\omega}{2cn_0(\omega)} \chi_e^{(3)} A_1 A_2 \tag{16}$$

Here  $\epsilon_r$  and  $n_0$  are the linear dielectric constant and refractive index of the nonlinear medium respectively. Considering  $A_1, A_2$  and  $\gamma$  as constant the solutions of (14) and (15) can be expressed as [28]

$$A_3(z) = \frac{\cos\{|\gamma|(z-l)\}}{\cos(|\gamma|l)} A_3(0) - i \frac{|\gamma| \sin(|\gamma|z)}{\gamma^* \cos(|\gamma|l)} A_4^*(l) \tag{17}$$

$$A_4(z) = \frac{\cos(|\gamma|z)}{\cos(|\gamma|l)} A_4(l) + i \frac{\gamma \sin\{|\gamma|(z-l)\}}{|\gamma| \cos(|\gamma|l)} A_3^*(0) \tag{18}$$

Here  $A_3(0)$  is the amplitude of the probe beam on the incident surface ( $z=0$ ) of the nonlinear medium. Considering the boundary  $A_3(z) = 0$  at  $z = l$  i.e.  $A_4(l) = 0$  and hence  $A_4^*(l) = 0$  also the final solutions can be written as

$$A_3(l) = \frac{A_3(0)}{\cos(|\gamma|l)}; \text{ at } z = l \tag{19}$$

And

$$A_4(0) = -i \frac{\gamma}{|\gamma|} \tan(|\gamma|l) A_3^*(0) \tag{20}$$

Hence Eq. (20) implies that near the incident surface of the nonlinear medium  $A_4(0)$  is proportional to  $A_3^*(0)$ . Again from Eq. (11) we know the wave  $E_4$  is counter propagating to the wave  $E_3$ . So we may conclude that  $E_4$  and  $E_3$  are phase conjugated to each other and the system plays the role of a phase conjugate reflector.

Now the Nonlinear intensity reflectivity (R) which is the intensity or energy ratio between the backward phase conjugate beam and the incident probe beam can be obtained from Eq. (20) as

$$R = \frac{I_4}{I_3} = \frac{|A_4(0)|^2}{|A_3(0)|^2} = \tan^2(|\gamma|l) \tag{21}$$

If  $(\pi/4) < |\gamma|l < (3\pi/4)$  then  $R > 1$ , which implies an amplification effect of the backward wave  $E_4$ . Again Eq. (19) shows that  $A_3(l) > A_3(0)$  i.e. the signal wave  $E_3$  will be always amplified through the nonlinear medium.

$$\gamma l \ll \pi/4, R = \gamma^2 l^2.$$

So from Eqs.(16) and (21) we can write

$$R = \frac{I_4}{I_3} = \frac{\omega^2}{4c^2 n_0^2(\omega)} |\chi_e^{(3)}|^2 I_1 I_2 l^2 \tag{22}$$

$I_1$  and  $I_2$  are intensities of the two pump waves and  $l$  is the effective interaction length of the nonlinear medium. So relation (22, 16) shows that the output conjugate beam will come out only when the two pump (or signal) and a probe beams are present, which satisfies the switching mechanism of OPNLM.

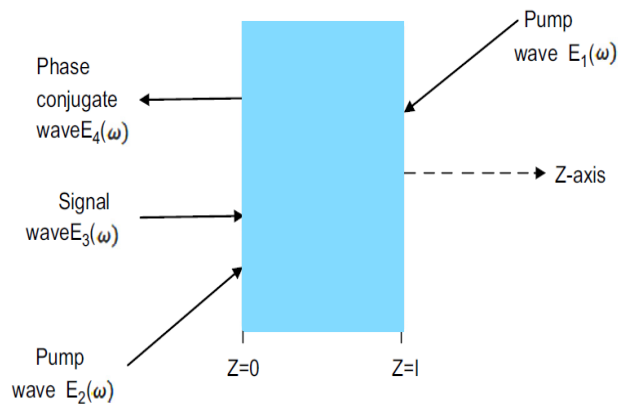


Fig 4(a) Working principle of OPNLM based switch

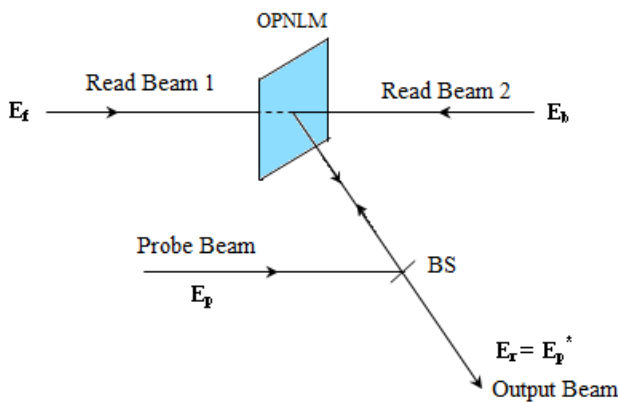


Fig 4(b) Working principle of an OPNLM based switching system (BS is non polarizing beam splitter)

### C. OPNLM based (2x2), (4x4) and (8x8) matrixes and their function

The OPNLM matrix that consists of OPNLM based switch and this switching system exploits optical phase conjugation mechanism that has already been explained for its usefulness in binary logic and information processing. Here, for this optical design, four number of OPNLM pixels are placed in (2x2) matrix form for PCM (type-1) and sixteen and sixty-four numbers of OPNLM pixels are placed in (4 x4) and (8x8) matrixes form for PCM (type-2) and PCM (type-3) respectively. The operation of a single OPNLM with setup for producing phase-conjugated beam is described as shown in figure 4. In the optical phase conjugation mechanism a beam can be created from another beam with equal frequency but opposite in phase.

Having same frequency one forward and one backward

beams, which are known as Read Beam, are distinguishable by the different propagation and polarization directions and they are interacting in nonlinear medium, that has at least a cubic type of non-linearity. A conjugate beam is generated and reflected when the third probe beam having the same frequency is incident at a specific angle, provided the states of polarization of three interacting beam is identical, other than no such reflected beam is received. This property of the OPNLM can be used as an optical switch [29-35]. If the electric field vectors  $E_f$ ,  $E_b$  and  $E_p$  of the forward, the backward and the probe beam respectively are combined in a cubic nonlinear medium at a point, the total field in the non-linear medium is,  $E(t) \propto \frac{1}{2} (E_f + E_b + E_p + E_p^*)^3$ . Naturally the pump beam has high power than the probe beam. The induced cubic polarization creates a triple product of the conjugated input beam ( $E_p^*$ ) with the other two input beams

$E_f$  and  $E_b$ . As a result the desired beam ( $E_p^*$ ) in which the energy is transferred from probe beam has a multiplicative gain term. The above optical phase conjugation mechanism is used to keep the nonlinear material as an optical switch. When 1 and 2 Read Beams of laser incident from two opposite side of the OPNLM, an another input probe beam falls from a horizontally polarized light source, after partially reflected from a beam splitter (BS) to the OPNLM at the point of intersection of the two read beams. Then this another incident beam reflects back from that point along the same path to release the output beam. No output beam will be produced if either read beam 1 or read beam 2 is absent or both of them are absent and this switch will succeed if the two read beams are coherent in nature and same state of polarization [36].

## IV. WALSH CODE GENERATION USING OPTICAL NONLINEAR MATERIAL

### A. Walsh-Hadamard Code

The Walsh-Hadamard code is a linear code which maps binary strings of length  $n$  to binary codeword of length  $2^n$  and these codes are mutually orthogonal. Walsh-Hadamard code creates orthogonal spreading codes for multicarrier CDMA system. Under perfect synchronization the orthogonal codes avoid Multiple Access Interference. These functions are governed by mapping codeword rows of a special square matrix known as Hadamard matrix [37]. So, Walsh code of  $N$  length can offer  $N$  number of codes which can assist maximum  $N$  number of CDMA users, and it can be produced by a standard repetitive procedure:

The Walsh-Hadamard Code are created in a set of  $N=2^n$  codes with length  $N=2^n$ . The generating algorithm is very simple:  $H_{N/2} = \begin{bmatrix} H_{N/2} & H_{N/2} \\ H_{N/2} & -H_{N/2} \end{bmatrix}$ ; with  $H_0 = [1]$ . The rows (or columns) of the matrix  $H_N$  are the Walsh-Hadamard Codes.

$$H_2 = \begin{bmatrix} 1 & 1 \\ 1 & -1 \end{bmatrix}; \quad -H_2 = \begin{bmatrix} -1 & -1 \\ -1 & 1 \end{bmatrix}; \quad H_4 = \begin{bmatrix} 1 & 1 & 1 & 1 \\ 1 & -1 & 1 & -1 \\ 1 & 1 & -1 & -1 \\ 1 & -1 & -1 & 1 \end{bmatrix};$$

$$H_8 = \begin{bmatrix} 1 & 1 & 1 & 1 & 1 & 1 & 1 & 1 \\ 1 & -1 & 1 & -1 & 1 & -1 & 1 & -1 \\ 1 & 1 & -1 & -1 & 1 & 1 & -1 & -1 \\ 1 & -1 & -1 & 1 & 1 & -1 & 1 & 1 \\ 1 & 1 & 1 & 1 & -1 & -1 & -1 & -1 \\ 1 & -1 & 1 & -1 & -1 & 1 & -1 & 1 \\ 1 & 1 & -1 & -1 & -1 & -1 & 1 & 1 \\ 1 & -1 & -1 & 1 & -1 & 1 & 1 & -1 \end{bmatrix}$$

In each above case the first row of the matrix consist entirely of 1s and each of the other rows contains N/2 -1s and N/2 1s. Row N/2 starts with N/2 1s ends N/2 -1s. The distance (number of different elements) between any pair of rows is exactly N/2. For H<sub>8</sub> the distance between any two rows is 4, so that the Hamming distance of the Hadamard code is 4. The Walsh-Hadamard code can be employed as a block code in channel encoder; each sequence of n bits identifies one row of the matrix (there are N=2<sup>n</sup> possible rows). All rows are mutually orthogonal:

$$\sum_{k=0}^{N-1} h_{ik} \cdot h_{jk} = 0 \text{ for all rows } i \text{ and } j.$$

**B. Walsh-Hadamard (2x2) code generator using Composite (2x2) block and OPNLM matrix (2x2) block**

The all-optical circuit for different logical operation of Walsh-Hadamard is displayed in the figure 5. A lights from two input coherent light sources A and B fall on IB-1 and IB-2, respectively. The orientation of IB-2 gets 90° anticlockwise shift with respect to IB-1 as shown in the Fig. 5. At first input beams enter the TOAD and after passing through the TOAD, beams are permitted to incident on IB 2x2 matrixes. The emerging horizontally polarized (●) beams from IB fall on OPNLM 2x2 matrix as shown in figure 5.

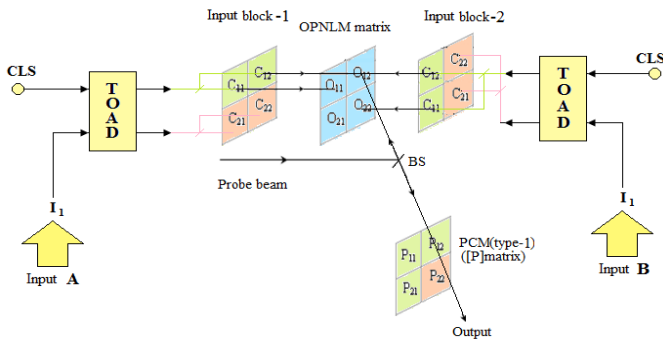


Fig.5. Setup for two input all optical logical operation of (2x2) Walsh-Hadamard Code

- (a) If A=1 and B=1, i.e. horizontally polarized light; then horizontally polarized light (●) is come out from C<sub>11</sub>, C<sub>12</sub> pixels of both IB-1 and IB-2 blocks.
- (b) If A=0 and B=0, vertically polarized light; then horizontally polarized light is come out from C<sub>21</sub>, and C<sub>22</sub> pixels of both IB-1 and IB-2 blocks.

Let us consider the case (i) A=1 and B=0. When A=1, O<sub>11</sub>, and O<sub>12</sub> pixels of OPNLM matrix receive horizontally polarized light (●) from IB-1 block in figure 5. At the same time, when B=0, O<sub>12</sub>, and O<sub>22</sub> pixels of the OPNLM matrix receive horizontally polarized light from IB-2 in figure 5. According to the switching mechanism of the OPNLM explained above in figure 4, that probe beam which is horizontally polarized light will be reflected only from O<sub>12</sub> pixel of OPNLM matrix as shown in the figure 5.

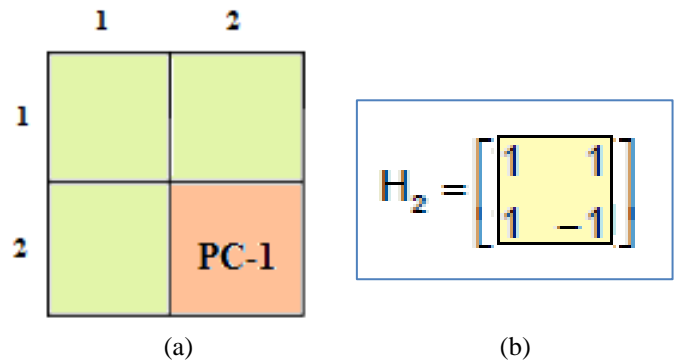


Fig 6: (a) Front view of PCM (type-1) or [P] matrix plane for different states, (b) Hadamard (2x2) matrix

And case (ii) A=0 and B=1. When A=0, O<sub>21</sub>, and O<sub>22</sub> pixels of OPNLM matrix get horizontally polarized light (●) from IB-1 block. Again for B=1, O<sub>11</sub>, and O<sub>21</sub> pixels of the OPNLM matrix get horizontally polarized light (●) from IB-2 blocks. According to the switching mechanism of the OPNLM explained, the probe beam which is horizontally polarized light will be reflected only from O<sub>21</sub> pixel of OPNLM matrix (not in figure 5). In this figure actually (2x2) = 4 probe beams are made incident on four separately distributed cells on OPNLM by four BSs (only one is shown in the figure 5). Probe beam is reflected from OPNLM matrix and it is allowed to pass through a PCM (type-1) matrix block. Light which comes out from PCM (type-1) is considered as the output of logical operation. For different logical operation, different PCMs are employed. The PCM (type-1) is displayed in the figure 6.

Table 5 Truth table of PCM (type-1) for Walsh code

	<b>A</b>	1	0
<b>B</b>		1	1
1		1	1
0		1	-1

- (1) If, A=1, B=1, the probe beam of horizontally polarized light (●) is reflected from O<sub>11</sub> of OPNLM matrix and falls on P<sub>11</sub> pixel on PCM (type-1) matrix. As no polarizer converter is present on P<sub>11</sub> pixel of PCM (type-1) (figure 6), so horizontally polarized light (●) is come out from PCM (type-1) as output whose logic level is taken as 1. This indicates that A=1, B=1, output = 1 are satisfied as in table 5.
- (2) As interpreted above if, A=1, B=0, the probe beam of horizontally polarized light (●) is reflected from O<sub>12</sub> only and falls on P<sub>12</sub> pixel of PCM (type-1). As no polarizer converter is present on P<sub>12</sub> pixel of PCM (type-1) (figure 6), so horizontally polarized light (●) is come out from PCM (type-1) as output whose logic level is taken as 1. This indicates that A=1, B=0, output = 1 are satisfied as in table 5.
- (3) If, A=0, B=1, the probe beam of horizontally polarized light (●) is reflected from O<sub>21</sub> of OPNLM matrix and falls on P<sub>21</sub> pixel on PCM (type-1) matrix. As no polarizer converter is present on P<sub>21</sub> pixel of PCM (type-1) (figure 6), so horizontally polarized light (●) is come out from PCM (type-1) as output whose logic level is taken as 1. This indicates that A=0, B=1, output = 1 are satisfied as in table 5.

- (4) If, A=0, B=0, the probe beam of horizontally polarized light (●) is reflected from O<sub>22</sub> of OPNLM matrix and falls on P<sub>22</sub> pixel on PCM (type-1) matrix. Then PC-1 converts horizontally polarized light (●) to plane polarized light at 45° (▲▼). Hence A=0, B=0 and output = -1 are satisfied as in table 5.

**C. Walsh-Hadamard (4x4) code generator using Composite (4x4) block and OPNLM matrix (4x4) block**

- (1) If, A=1, B=1, the probe beam of horizontally polarized light (●) is reflected from O<sub>11</sub> of OPNLM matrix and fall on P<sub>11</sub> pixel on PCM (type-1) matrix in figure 8. Then PC-1 on P<sub>11</sub> converts horizontally polarized light (●) to plane polarized light at 45° (▲▼). So, plane polarized light at 45° (▲▼) is come out from PCM (type-2) as output whose logic level is taken as -1. This indicates that A=1, B=1, output = -1 are satisfied as in table 6.
- (2) As interpreted above if, A=1, B=0, the probe beam of horizontally polarized light (●) is reflected from O<sub>12</sub> only and falls on P<sub>12</sub> pixel of PCM (type-2) in figure 8. Then PC-1 on P<sub>12</sub> converts horizontally polarized light (●) to plane polarized light at 45° (▲▼). So, plane polarized light at 45° (▲▼) is come out from PCM (type-2) as output whose logic level is taken as -1. This indicates that A=1, B=0, output = -1 are satisfied as in table 6.
- (3) If, A=0, B=1, the probe beam of horizontally polarized light (●) is reflected from O<sub>21</sub> of OPNLM matrix and fall on P<sub>21</sub> pixel on PCM (type-2) matrix. A polarizer converter PC-1 is present on P<sub>21</sub> pixel of PCM (type-2) in figure 8, so horizontally polarized light (●) is converted to plane polarized light at 45° (▲▼). Plane polarized light at 45° (▲▼) is come out from PCM (type-2) as output whose logic level is taken as -1. This indicates that A=0, B=1, output = -1 are satisfied as in table 6.



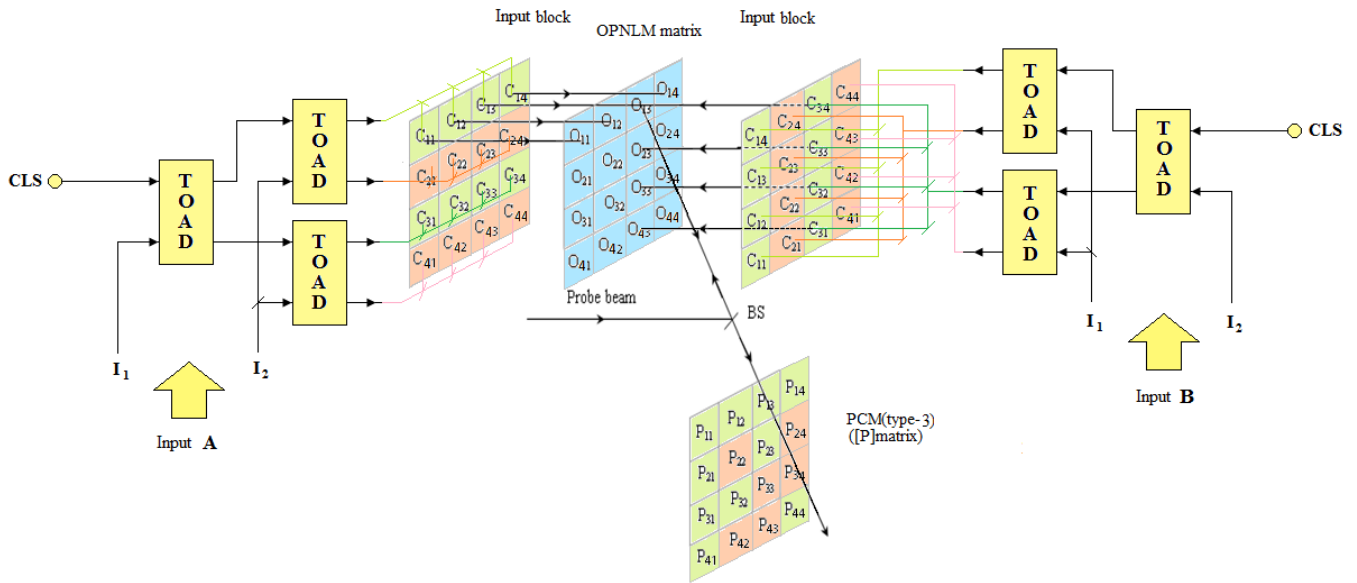


Fig.7. Setup for two input all optical logical operation of (4x4) Walsh-Hadamard Code

whose logic level is taken as 1. This indicates that A=0, B=0, output = 1 are satisfied as in table 6.

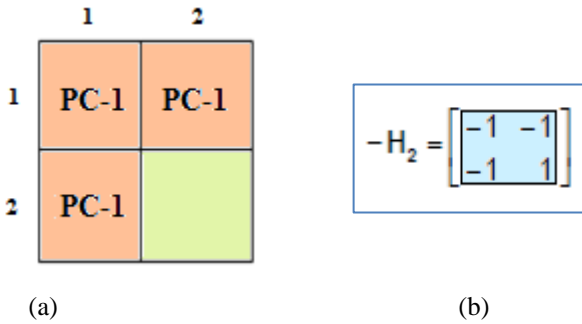


Fig 8: (A) Front view of PCM (type-2) or [P] matrix plane for different states, (B) The inverse of Hadamard (2x2) matrix

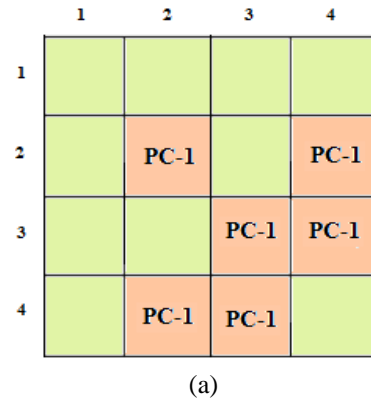
Table 6 Truth table of PCM (type-2) for Walsh code

	A	1	0
B	1	-1	-1
	0	-1	1

- (4) If, A=0, B=0, the probe beam is reflected from O<sub>22</sub> of OPNLM matrix and fall on P<sub>22</sub> pixel on PCM (type-2) matrix. As no polarizer converter is present on P<sub>22</sub> pixel of PCM (type-2) in figure 8, so horizontally polarized light (●) is come out from PCM (type-2) as output

**PCM (type-3) matrix (4x4) blocks for Hadamard (4x4) matrix (H<sub>4</sub>) of Walsh-Hadamard (4x4) Code Generation using PCM (type-1) and (type-2) matrix (2x2) blocks**

It needs three PCM (type-1) and one PCM (type-2) to form PCM (type-3). PCM (type-1) and (type-2) matrix blocks arrangement in PCM (type-3) matrix blocks for Walsh-Hadamard Code Generation is shown in figure 9. And its operation is same as Walsh-Hadamard code generator using Composite block (2x2) and OPNLM matrix (2x2) block.



$$H_4 = \begin{bmatrix} \boxed{1 & 1} & \boxed{1 & 1} \\ \boxed{1 & -1} & \boxed{1 & -1} \\ \boxed{1 & 1} & \boxed{-1 & -1} \\ \boxed{1 & -1} & \boxed{-1 & 1} \end{bmatrix}$$

(b)

Fig.9. (a) Front view of PCM (type-3) or [P] matrix plane for different states, (b) Hadamard (4x4) matrix

The all-optical circuit for different logical operation as shown in the figure 7 is same as explained in the figure 5 and satisfies table-7.

Table-7: Truth table of PCM (type-3) for Walsh code using fig. 7

A \ B	11	10	01	00
11	1	1	1	1
10	1	-1	1	-1
01	1	1	-1	-1
00	1	-1	-1	1

**D. Walsh-Hadamard (8x8) code generator using Composite (8x8) block and OPNLM matrix (8x8) block**

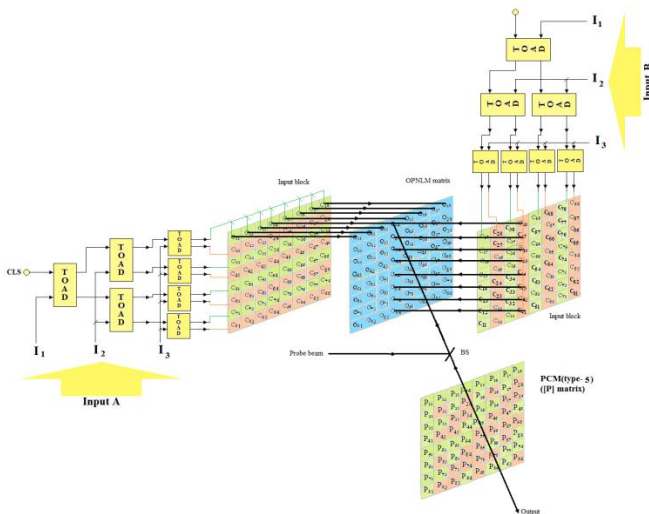


Fig.10. Setup for two input all optical logical operation of (8x8) Walsh-Hadamard Code

The all-optical circuit for different logical operation as shown in the figure 10 is same as explained in the figure 5.

**1. PCM (type-4) matrix (4x4) blocks for the inverse of Hadamard (4x4) matrix (-H<sub>4</sub>) of Walsh-Hadamard (8x8) Code Generation using PCM (type-1) and (type-2) matrix (2x2) blocks**

It needs three PCM (type-2) and one PCM (type-1) to form PCM (type-4). PCM (type-1) and (type-2) matrix blocks arrangement in PCM (type-4) matrix blocks for Walsh-Hadamard Code Generation is shown in figure 11. And its operation is same as Walsh-Hadamard code generator using Composite block (2x2) and OPNLM matrix (2x2) block.

	1	2	3	4
1	PC-1	PC-1	PC-1	PC-1
2	PC-1		PC-1	
3	PC-1	PC-1		
4	PC-1			PC-1

(a)

$$-H_4 = \begin{bmatrix} \boxed{-1 & -1} & \boxed{-1 & -1} \\ \boxed{-1 & 1} & \boxed{-1 & 1} \\ \boxed{-1 & -1} & \boxed{1 & 1} \\ \boxed{-1 & 1} & \boxed{1 & -1} \end{bmatrix}$$

(b)

Fig.11. (a) PCM (type-1) and (type-2) matrix blocks arrangement in PCM (type-4) matrix blocks for Walsh-Hadamard Code Generation, (b) The inverse of Hadamard (4x4) matrix

**2. PCM (type-5) matrix (8x8) blocks for Hadamard (8x8) matrix (H<sub>8</sub>) of Walsh-Hadamard (8x8) Code Generation using PCM (type-3) and (type-4) matrix (4x4) blocks**

	1	2	3	4	5	6	7	8
1								
2		PC-1		PC-1		PC-1		PC-1
3			PC-1	PC-1			PC-1	PC-1
4		PC-1	PC-1			PC-1	PC-1	
5					PC-1	PC-1	PC-1	PC-1
6		PC-1		PC-1	PC-1		PC-1	
7			PC-1	PC-1	PC-1	PC-1		
8		PC-1	PC-1		PC-1			PC-1

(a)

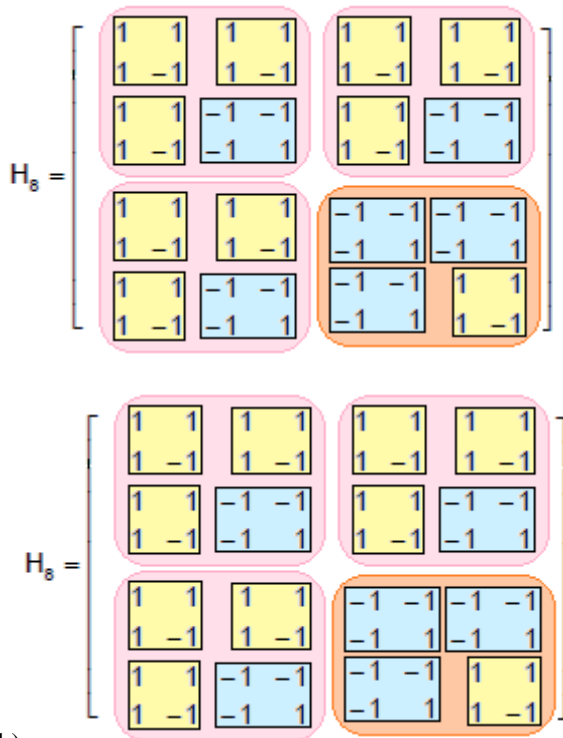


Fig.12. (a) PCM (type-3) and (type-4) matrix blocks arrangement in PCM (type-5) matrix block for Walsh-Hadamard Code Generation; (b) Hadamard (8x8) matrix

It needs three PCM (type-3) and one PCM (type-4) to form PCM (type-5). PCM (type-3) and (type-4) matrix blocks arrangement in PCM (type-5) matrix blocks for Walsh-Hadamard Code Generation is shown in figure 12. Its operation is same as Walsh-Hadamard code generator using Composite block (2x2) and OPNLM matrix (2x2) block and satisfies table 8.

Table-8: Truth table of PCM (type-5) for Walsh code using fig. 10

A \ B	111	110	101	100	011	010	001	000
111	1	1	1	1	1	1	1	1
110	1	-1	1	-1	1	-1	1	-1
101	1	1	-1	-1	1	1	-1	-1
100	1	-1	-1	1	1	-1	-1	1
011	1	1	1	1	-1	-1	-1	-1
010	1	-1	1	-1	-1	1	-1	1
001	1	1	-1	-1	-1	-1	1	1
000	1	-1	-1	1	-1	1	1	-1

V. SIMULATION AND RESULTS

To experimentally achieve the result of the proposed scheme, some design parameters have to be assumed because the above discussions are based on simple model. As for example they are predetermined values of the intensities, polarization properties of fiber, wavelength of laser light for control and incoming signals, intensity losses due to beam splitters/fiber couplers, introduction of filter, etc. For practical implementation of all-optical circuit, the picoseconds Nd: YAG laser can be used as read beam and probe beam. Photo refractive BaTiO3 or some other nonlinear materials can be exploited to generate OPNLM matrix block. The system mentioned above may give picoseconds response time in connection to its speed of operations. Intensity losses due to couplers in interconnecting stage may not create such trouble in producing the desired optical bits at the output due to the whole system is digital one and the output depends only on the presence or absence of light signal.

The output logical states of every logical circuit can be measured by stokes vector [S] measurement. Stokes vector can be determined from the measurement of six intensities (I<sub>i</sub>,

j) in the photo detector (PD) by use of a linear analyzer (LA) followed by a quarter wave plate ( $\lambda/4$  plate), which is shown in the figure 13. The formula for computing stokes vector is:

$$[S] = \begin{bmatrix} S_0 \\ S_1 \\ S_2 \\ S_3 \end{bmatrix} = \sqrt{\frac{\mu_0}{\epsilon_0}} \begin{bmatrix} I_{(0,0^\circ)} + I_{(0,90^\circ)} \\ I_{(0,0^\circ)} - I_{(0,90^\circ)} \\ I_{(0,45^\circ)} - I_{(0,135^\circ)} \\ I_{(\frac{\lambda}{4},45^\circ)} - I_{(\frac{\lambda}{4},135^\circ)} \end{bmatrix}$$

Where first subscript ('i') index lack or presence of  $\lambda/4$  plate and the second ('j') gives the azimuth of the analyzer. The  $\mu_0$  and  $\epsilon_0$  are free space permeability and permittivity. Degree of polarization (DOP) is also computed by the equation:

$$DOP = \frac{\sqrt{S_1^2 + S_2^2 + S_3^2}}{S_0}$$

The value of DOP can be plotted in Poincare sphere in point 'P' and we determine that, for vertically ( $\uparrow$ ) and horizontally ( $\bullet$ ) polarized light  $OP=DOP=1$  and lies on the equator of the Poincare sphere (at point y and x respectively).

In high speed data communication (50 GB/s or TB/s) random change of polarization in a short time can produce power fluctuation at the output. So polarization dependent loss (PDL) degrades the optical signal to noise ratio (OSNR) and also degrades the extinction ratio. PDL of 3 dB could cause 1 dB power penalty [35]. Optical depolarizers can be employed to reduce the polarization-induced noise in optical sensing and measurement systems [34]. Optical depolarizers can be inserted to reduce the polarization-induced noise in optical sensing and measurement systems. Again random birefringence in optical fibers induces an unpredictable rotation of the state of polarization (SOP); this can be adjusted by using polarization controller and PM fiber. Intrinsic cross talk between two polarization states, imperfection of polarized tracking after transmission link etc may cause polarization mode dispersion (PMD). This may cause the delay among the different states of polarization. The effects of PMD are expected to be similar to those of other approaches that have been studied in the literature.

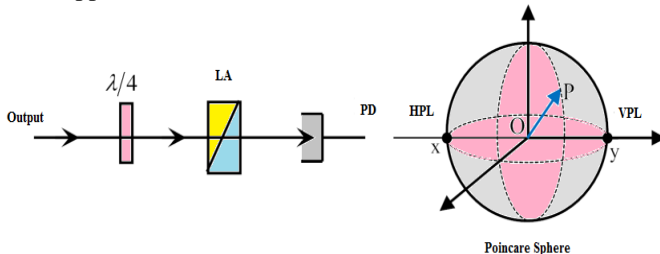
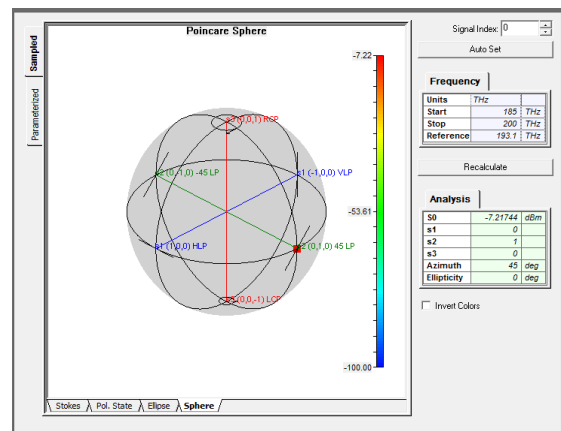


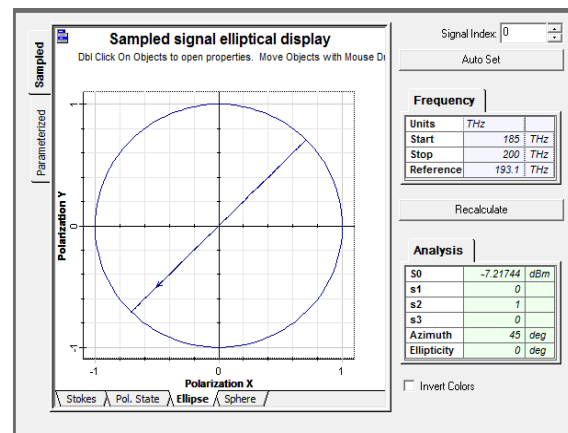
Fig.13 Stokes vector [S] measurement

Optical amplifiers degrade the signal-to-noise ratio (SNR) of the amplified signal because of spontaneous emission added to the signal during its amplification (ASE). The OSNR-errors arise in this process. For polarized signal PHB will cause ASE polarization orthogonal to the signal polarization. Bruyere et al have reported that the DOP of ASE could exceed 70% in transoceanic links with low PMD [38]. Of course, the most of ASE light does not traverse the entire light path, and then OSNR-errors become less as  $< 0.6$  dB.

Polarization related problem discussed above would occur inside the considered circuit. The said problem will not occur in optical communications system once the signal comes out the output. State of polarization may be changed if it is passed through bi-refrigent crystals or optically active substances. The significant advantage of this proposed scheme is that the schemes are all-optical in nature and can be easily and successfully be extended for higher order. This scheme is easily practicable as the components of our design are technically highly developed and vastly used in optical communication.



(a)



(b)

Fig. 14 (a) Simulation of Poincare sphere by Optisystem 7.0, (b) Simulation of Polarization state of light signal by Optisystem 7.0

**A. Mathematical simulation by Matlab-9 for  $H_2$  (2x2) matrix**

The mathematical simulation is done by Matlab-9 for  $H_2$  (2x2) matrix as given below.

**(i) Hadamard  $H_2$  (2x2) matrix**

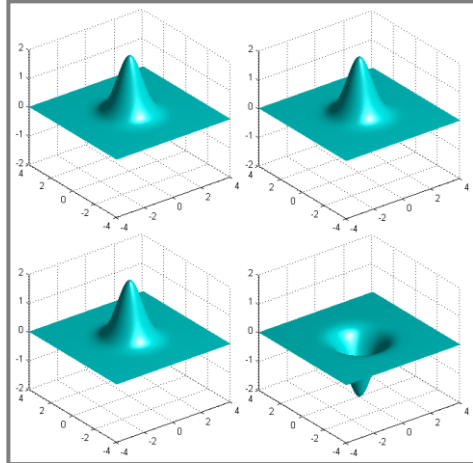


Fig.15. Hadamard  $H_2$  (2x2) matrix

**(ii) The inverse of Hadamard  $-H_2$  (2x2) matrix**

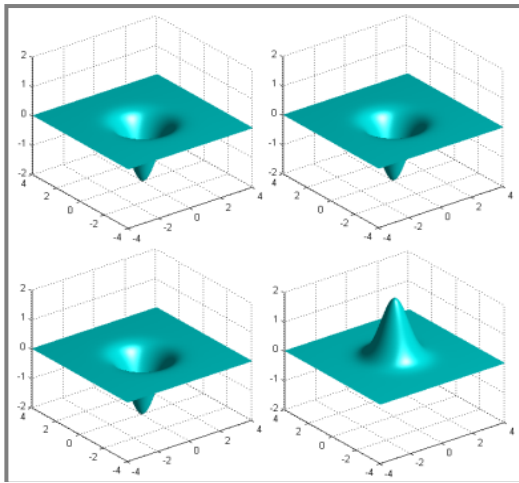


Fig. 16.Hadamard  $-H_2$  (2x2) matrix

**B. Mathematical simulation by Matlab-9 for  $H_4$  (4x4) matrix**

The mathematical simulation is done by Matlab-9 for  $H_4$  (4x4) matrix as given below.

**(i) Hadamard  $H_4$  (4x4) matrix**

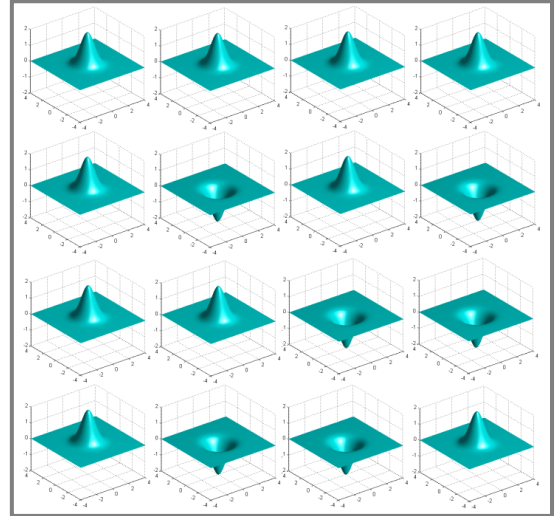


Fig.17. Hadamard (4x4) matrix,  $H_4$

**(ii) The inverse of Hadamard  $-H_4$  (4x4) matrix**

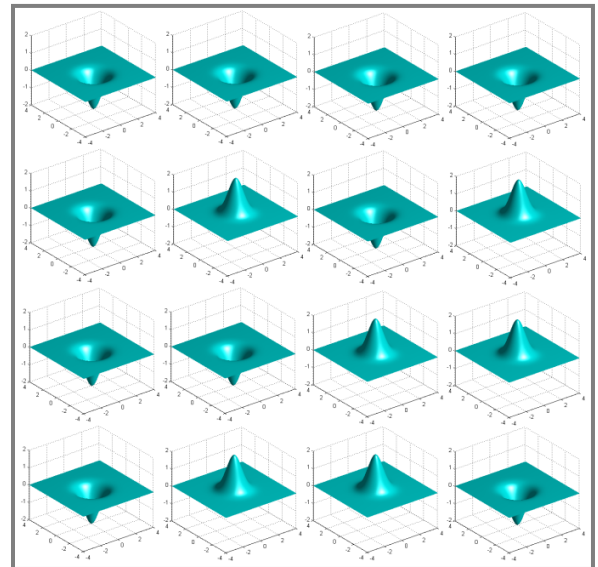


Fig.18. Hadamard  $-H_4$  (4x4) matrix

**C. Mathematical simulation by Matlab-9 for  $H_8$  (8x8) matrix**

The mathematical simulation is done by Matlab-9 for  $H_8$  (8x8) matrix as given below.

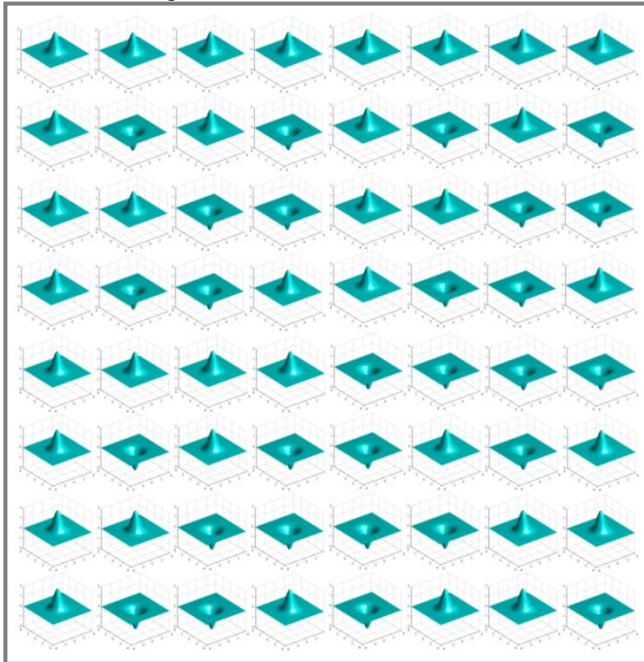


Fig.19. Hadamard  $H_8$  (8x8) matrix

## VI. Conclusion

In a CDMA system availability of more number of codes, minimum magnitude of cross correlation, impulsive peak auto correlation and bit error rate (BER) performance plays a major role. So Code designer have to generate spreading code such that it support more number of user, good auto-correlation property, good BER performance with better cross-correlation property which eliminate undesirable effect by reducing the chance of false synchronization. This paper present one algorithm to generate “a novel orthogonal minimum correlation spreading code” which offer a large number of codes in comparison to other existing code like Walsh code and OKasami code with better auto and cross correlation property. Hence we concluded that purposed all-optical Walsh-Hadamard code outperform other existing code and give one optimum solution for future CDMA communication system. CDMA technology is a fast growing technology in the field of Wireless Communication. The ultimate aim of service providers is to accommodate the maximum number of users in the available bandwidth. CDMA technology is identified by its spreading capability through the spreading codes for multiple accessing various users information. The design of an all-optical Walsh-Hadamard code generator has been theoretically discussed and established. The proposed scheme depends on optical non-linear material for Walsh code generation. The code building block for these modules is the OPNLM. The design

of Walsh-Hadamard code generator is very promising regarding the issue of versatility and compactness. The design can be applied and extended for diverse application for Walsh-Hadamard codes are needed.

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